

320413 (20)

BE (4th Semester)

Examination, April-May, 2021

Branch : Civil

SURVEYING - II

Time Allowed : Three Hours

Maximum Marks : 80

Minimum Pass Marks : 28

Note : Part (A) of all questions is compulsory (2 marks each). Answer any TWO questions ($2 \times 7 = 14$) marks each) out of three from Part (B).

Unit-I

Part (A)

Q. 1. (a) (1) Distance of visible horizon for a point having an elevation of 637.5 m is : 1

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(2)

(i) 6.735 km

(ii) 67.35 km

(iii) 10 km

(iv) 100 km

(2) Phase correction is done on : **1**

(i) Pole signals

(ii) Beacons

(iii) Cylindrical signals

Part (B)

(b) What is meant by a satellite station and reduction to centre ? Derive expression for

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reducing the angles measured at the satellite

stations to centre (Any One Case). 7

(c) The altitudes of two proposed stations A and

B, 80 km apart are respectively 225 m and

550 m. The intervening obstructions situated

at C, 40 km from A has an elevation of 285

m. Ascertain if A and B are intervisible, and if

necessary, find by how much B should be

raised so that the line of sight must nowhere

be less than 3 m above the surface of the

ground. 7

(d) A steel tape is 30 m long at a temperature of

20°C when lying horizontally on the ground.

(4)

Its sectional area is 0.082 sq.cm, its mass 2 kg and coefficient of expansion 65×10^{-7} per 1°C . The tape is stretched over three equal spans. Calculate actual length between the end graduations under the following conditions : temperature 40°C , pull 180 N.

Take $E = 2.07 \times 10^7 \text{ N/cm}^2$. 7

Unit-II

Part (A)

Q. 2. (a) (1) Systematic errors are always : 1

(i) Cumulative

(ii) Compensating

(5)

(iii) Are always positive

(iv) Always negative

(ii) Theory of probability is applied to : 1

(i) Systematic errors

(ii) Accidental errors

(iii) True errors

Part (B)

(b) The following angles were measured at a station O so as to close the horizon : 7

$$\angle AOB = 83^{\circ}42'28''.75 \text{ weight } 3$$

$$\angle BOC = 102^{\circ}15'43''.26 \text{ weight } 2$$

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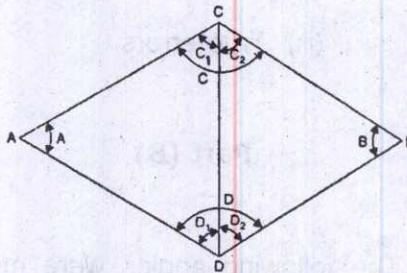
P.T.O.

(6)

$$\angle COD = 94^{\circ}38'27''.22 \text{ weight } 4$$

$\angle DOA = 79^{\circ}23'23''.77$ weight 2. Adjust the angles.

- (c) The following are the measured values of equal weight for two connected triangles ACD and BCD (Figure).



TWO CONNECTED TRIANGLES

A $68^{\circ}12'24''$

B $52^{\circ}28'46''$

C $128^{\circ}16'30''$

(7)

D $110^{\circ}02'25''$

C_1 $62^{\circ}18'40''$

C_2 $65^{\circ}57'51''$

D_1 $49^{\circ}28'59''$

D_2 $16^{\circ}33'28''$

Adjust the values of the angles.

7

(d) The following round of angles was observed
from central station to the surrounding
stations of a triangulation survey :

7

A = $93^{\circ}43'22''$ weight 3

B = $74^{\circ}32'39''$ weight 2

(8)

$C = 101^{\circ}13'44''$ weight 2

$D = 90^{\circ}29'50''$ weight 3

In addition, one angle $(\overline{A+B})$ was measured separately as combined angle with a mean value of $168^{\circ}16'06''$ (wt. 2). Determine the most probable values of the angles A, B, C and D.

Unit-III

Part (A)

- Q. 3. (a) (i) When the line of sight is inclined and the staff is held vertically, the horizontal distance is given by : 1

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- $\frac{f}{i} \times S \cos^2 \theta + (f + d) \cos \theta$
- $\frac{f}{i} \times S \sin^2 \theta + (f + d) \sin \theta$
- $\frac{f}{i} \times S \cot^2 \theta + (f + d) \cot \theta$

(ii) As the distance between the tacheometer and staff increases, the staff intercept by stadia hair

- Increases
- Decreases
- Remain constant

(Part - B)

(b) What are the constants of a tacheometer and how are they determined ?

(10)

(c) A tacheometer was set up at station 'A' and the following readings were obtained on a vertically held staff.

| Station | Staff station | Vertical Angle | Hair readings | Remarks |
|---------|---------------|-----------------|------------------------|-----------------|
| A | B.M. | $-2^{\circ}18'$ | 3.225, 3.550, 3.875 | R.L. of B.M. |
| | B | $+8^{\circ}36'$ | 1.650, 2.515, 3.380 | =425.515 m |

Calculate the horizontal distance from A to B and the R.L. of B if the constants of the instruments are 100 and 0.4.

7

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(11)

(d) The following observations were taken using a tacheometer fitted with a anallatic lens, the staff being held vertically.

| Inst. Station | Height of axis | Staff station | Vertical angle | Hair readings | Remarks |
|---------------|----------------|---------------|------------------|-------------------|---------------------|
| P | 1.45 | BM | $-6^{\circ}12'$ | 0.98, 1.54, 2.100 | RL of BM = 384.25 m |
| P | 1.45 | Q | $+7^{\circ}5'$ | 0.83, 1.36, 1.89 | |
| Q | 1.57 | R | $+12^{\circ}21'$ | 1.89, 2.48, 3.07 | |

Determine the distances PQ and QR, and the RLs of P, Q and R.

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Unit-IV

Part (A)

Q. 4. (a) Write the expression for length of line

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(12)

between two stations of different elevations

as from an aerial photograph ? 2

Part (B)

(b) Prove that ratio of Tilt Displacement of a

point not on the principal line to that of a point

on a principal line = Secant of angle at

isocentre from principal line to the point. 7

(c) Derive an expression for scale of a tilted

photograph. 7

(d) Explain the calculation of amount of relief

displacement ? 7

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(13)

Unit-V

Part (A)

- Q. 5. (a) Give some examples of the applications of 'hydrographic surveying' ? 2

Part (B)

- (b) What is meant by sounding ? Explain the method of observation of sounding from a sounding boat, case – Ranging and one angle from the boat ? 7
- (c) Explain the various equipments used for taking soundings ? 7

(14)

(d) An observer taking soundings from a boat wished to locate his position P. He measures an angle to two A and B, AP at right angles to AB. If the measured angle APB is 29° and distance AB is 550 m, calculate the boat position from A ?

7

